OKLAHOMA STATE UNIVERSITY

SCHOOL OF ELECTRICAL AND COMPUTER ENGINEERING SCHOOL OF MECHANICAL AND AEROSPACE ENGINEERING



ECEN 4413/MAE 4053 Automatic Control Systems Spring 2012 Final Exam

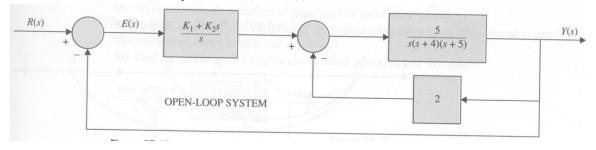


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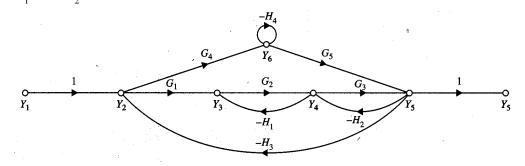
Problem 1:

The block diagram of a feedback control system is shown below.

- a) Find the forward path transfer function Y(s)/E(s) and the closed-loop transfer function Y(s)/R(s).
- b) Express the dynamic system in the form of state space representation, $\dot{x}(t) = Ax(t) + Br(t)$, y(t) = Cx(t) + Dr(t).



Problem 2: Apply the gain formula to the SFG shown below to find the transfer functions of $\frac{Y_5}{Y_1}$ and $\frac{Y_5}{Y_2}$.



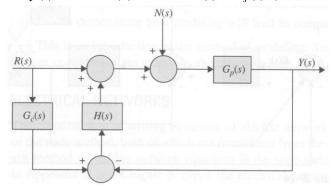
Problem 3:

Figure below shows the block diagram of a control system with conditional feedback. The transfer function $G_p(s)$ denotes the controlled process, and $G_c(s)$ and H(s) are the controller transfer functions.

- a) Derive the transfer function $Y(s)/N(s)\big|_{R=0}$. Find $Y(s)/R(s)\big|_{N=0}$ when $G_p(s)=G_c(s)$.
- b) Let

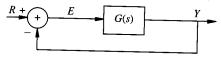
$$G_p(s) = G_c(s) = \frac{100}{(s+1)(s+5)},$$

find the output response y(t) when N(s) = 0 and $r(t) = u_s(t)$ (i.e., unit step function).



Problem 4:

Find the range of *K* in $G(s) = \frac{K}{s^4 + 6s^3 + 13s^2 + 12s + 4}$ for which the *G*-configuration equivalent system shown below is stable.



Problem 5:

A linear time-invariant system is described by the following state equation

$$\frac{dx(t)}{dt} = Ax(t) + Bu(t)$$
where $A = \begin{bmatrix} 0 & 1 & 0 \\ 0 & 0 & 1 \\ 0 & -4 & -3 \end{bmatrix}$, $B = \begin{bmatrix} 0 \\ 0 \\ 1 \end{bmatrix}$.

Determine if the system is stable?